

Illumination model

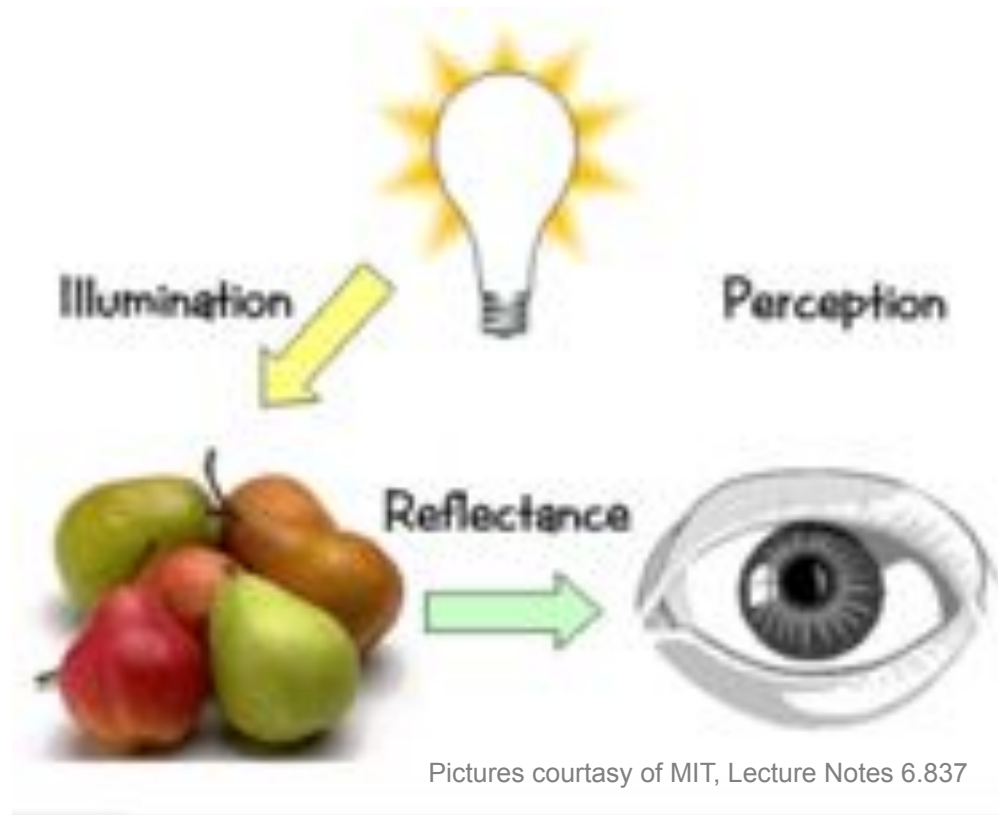
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Lighting

- Light travels from the **light source**, is reflected from the **surfaces**, and absorbed in the **eye**.
- Color of the surface depends on the **reflectance**, **absorption**, and **emission** parameters of the surface.
- Reflectance, absorption and emission change with a change in **wavelength**.



Illumination model

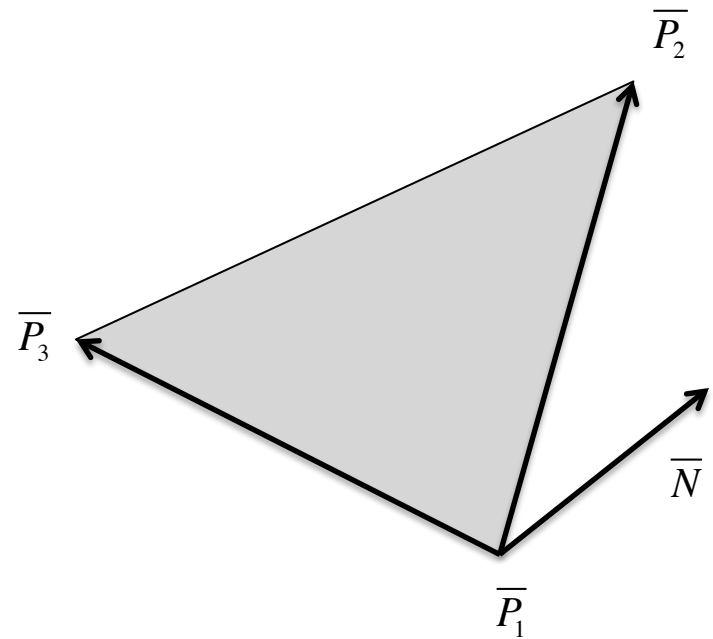
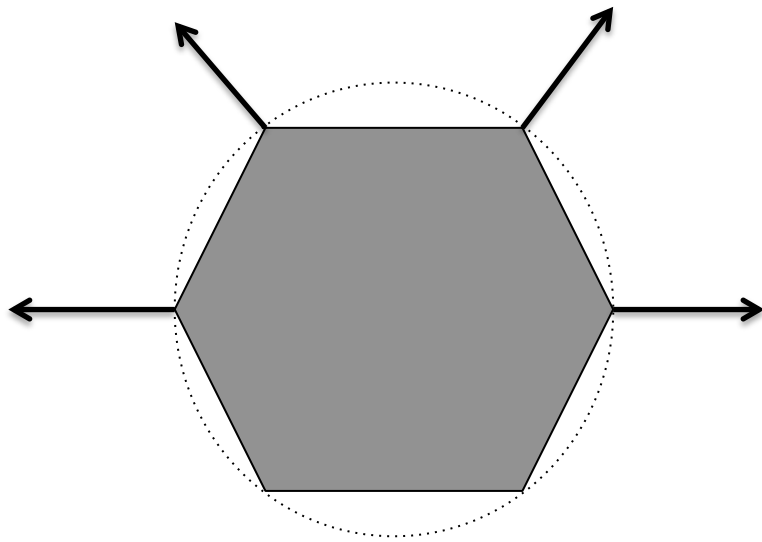
illumination model – a model describing how light travels in the environment

Shading – computation of the surface colors

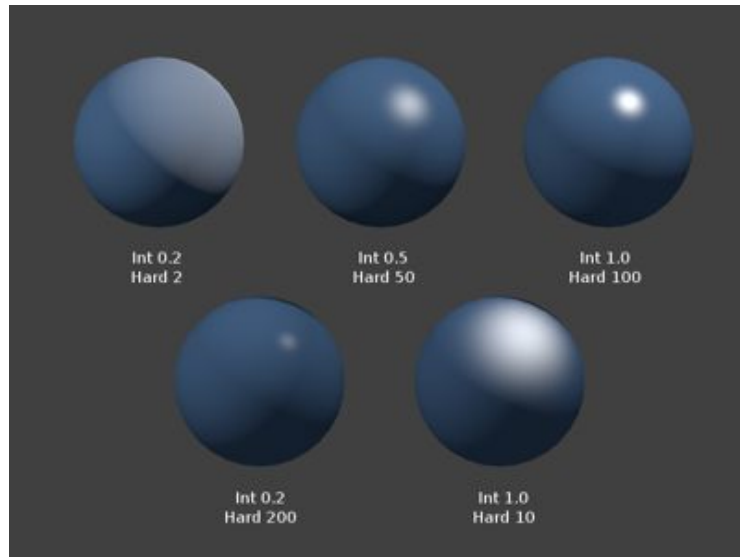
Shading parameters:

- material parameters,
- light sources,
- normal vectors
- textures,
- camera parameters.

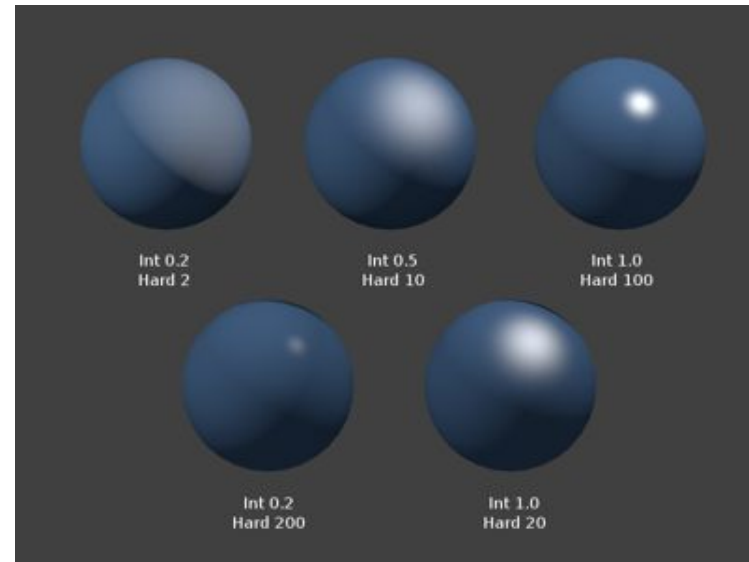
Normal vectors



$$\bar{N} = (\bar{P}_2 - \bar{P}_1) \times (\bar{P}_3 - \bar{P}_1)$$

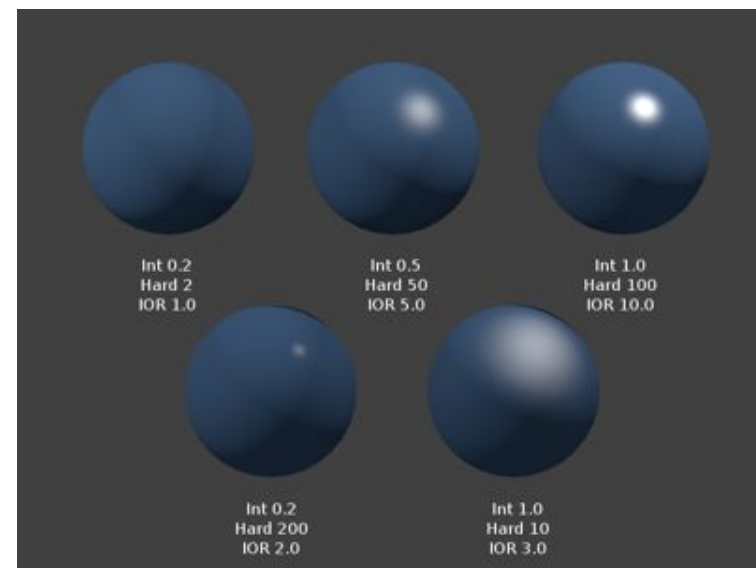


Cook-Torrance



Phong

- Bui Tuong Phong, Illumination for computer-generated images, Doctoral Dissertation, 1973.
- Blinn, James F. , Models of Light Reflection for Computer Synthesized Pictures. Computer Graphics, SIGGRAPH 77 Proceedings, 11(2), July 1977, p. 192-198.
- Robert L. Cook, Kenneth E. Torrance, A reflectance model for computer graphics, 1982.
- Christophe Schlick, A Customizable Reflectance Model for Everyday Rendering, Fourth Eurographics Workshop on Rendering, 1993.



Blinn

Phong model: material parameters



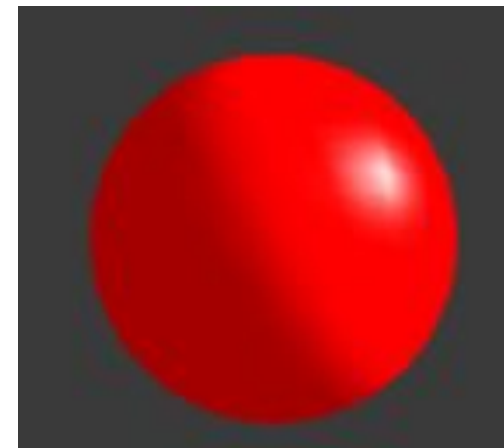
ambient



ambient +
specular



ambient + diffuse



ambient +
diffuse +
specular

Illumination equation (Phong model)

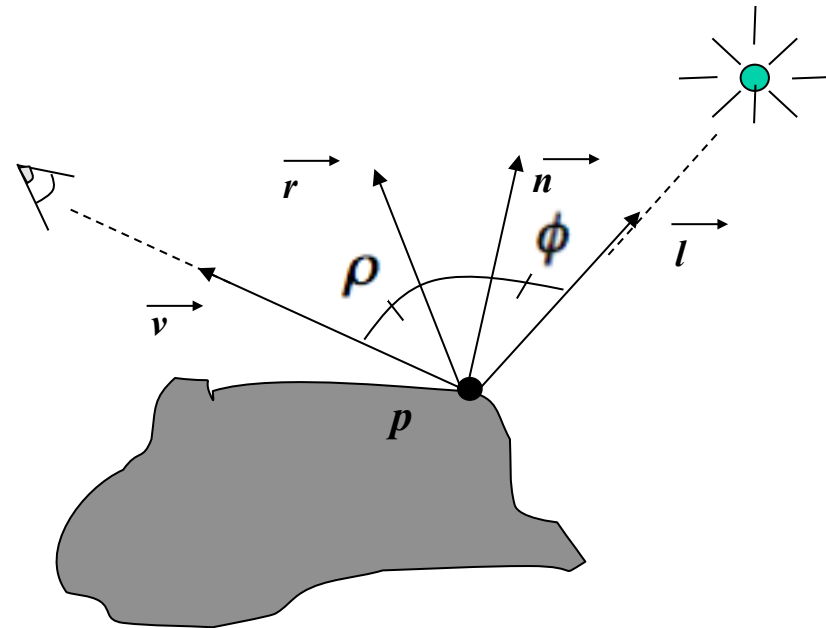
how to compute color of the point on the surface

$$i_{tot} = i_{amb} + \sum_{k=1}^N (i_{diff}^k + i_{spec}^k)$$

$$i_{amb} = m_{amb} \cdot S_{amb}$$

$$i_{diff} = m_{diff} \cdot S_{diff} \cdot (\bar{l} \cdot \bar{n})$$

$$i_{spec} = m_{spec} \cdot S_{spec} \cdot (\bar{v} \cdot \bar{r})^{m_{shi}}$$



$$\vec{r} = 2(\vec{n} \cdot \vec{l})\vec{n} - \vec{l}$$

Ambient

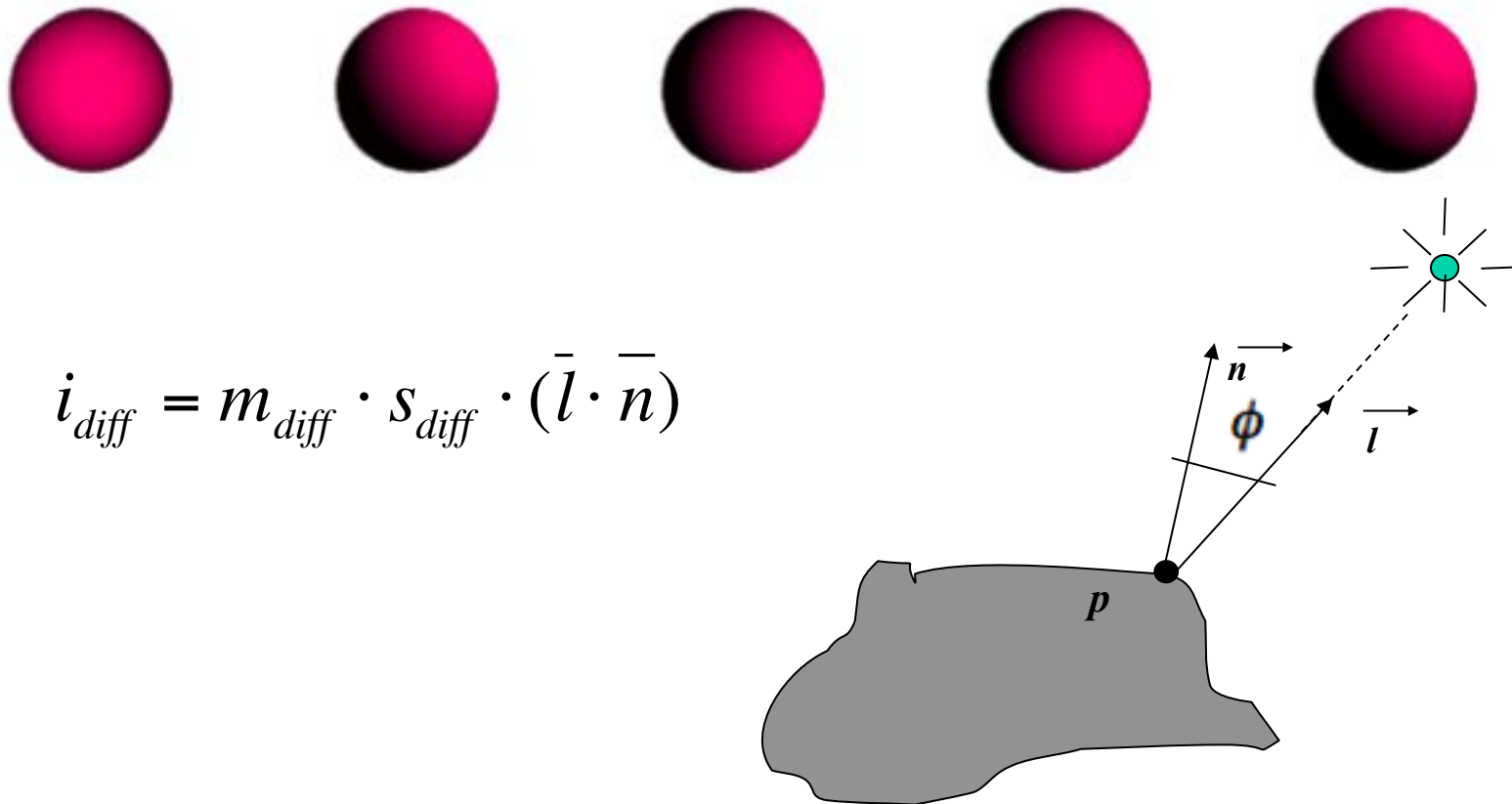
Rough approximation of the light traveling between surfaces.
Can be used to make the shadows not black.

$$i_{amb} = m_{amb} \cdot S_{amb}$$



Diffuse

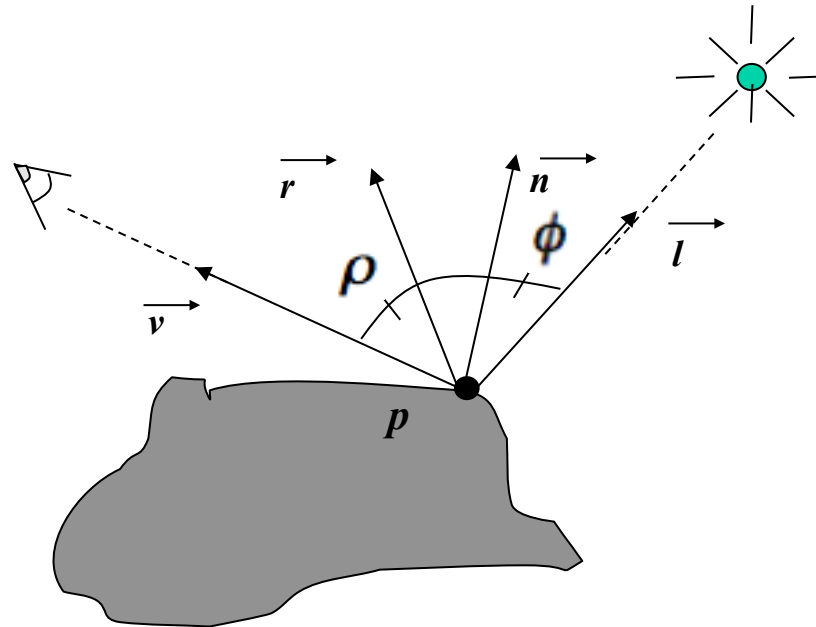
Lambert law – the amount of light reaching the surface is proportional to cosine of the angle between direction to the light and the normal vector of the surface



$$i_{diff} = m_{diff} \cdot s_{diff} \cdot (\vec{l} \cdot \vec{n})$$

Specular

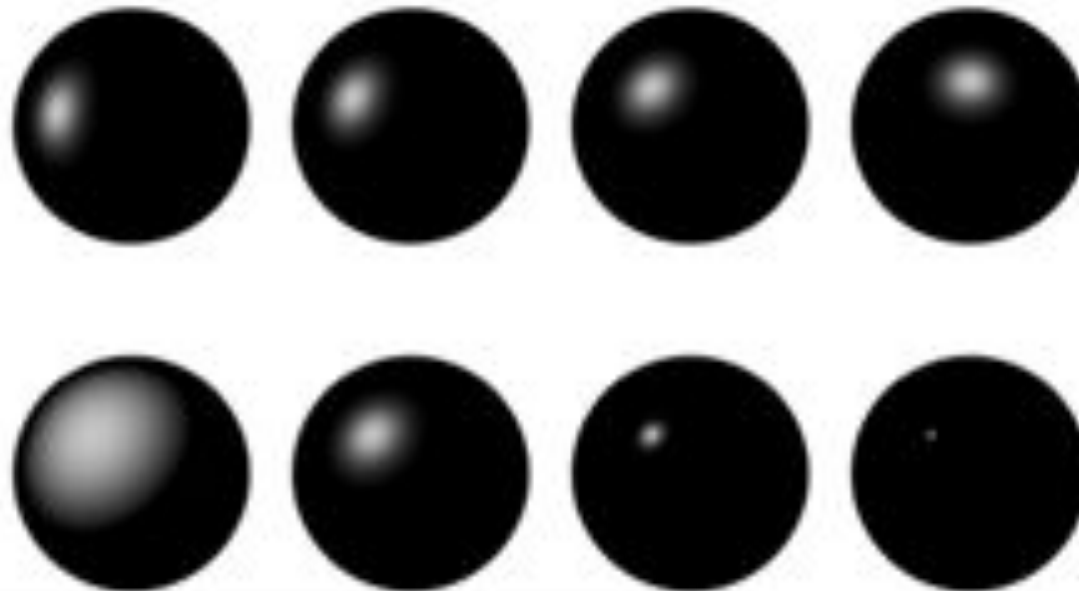
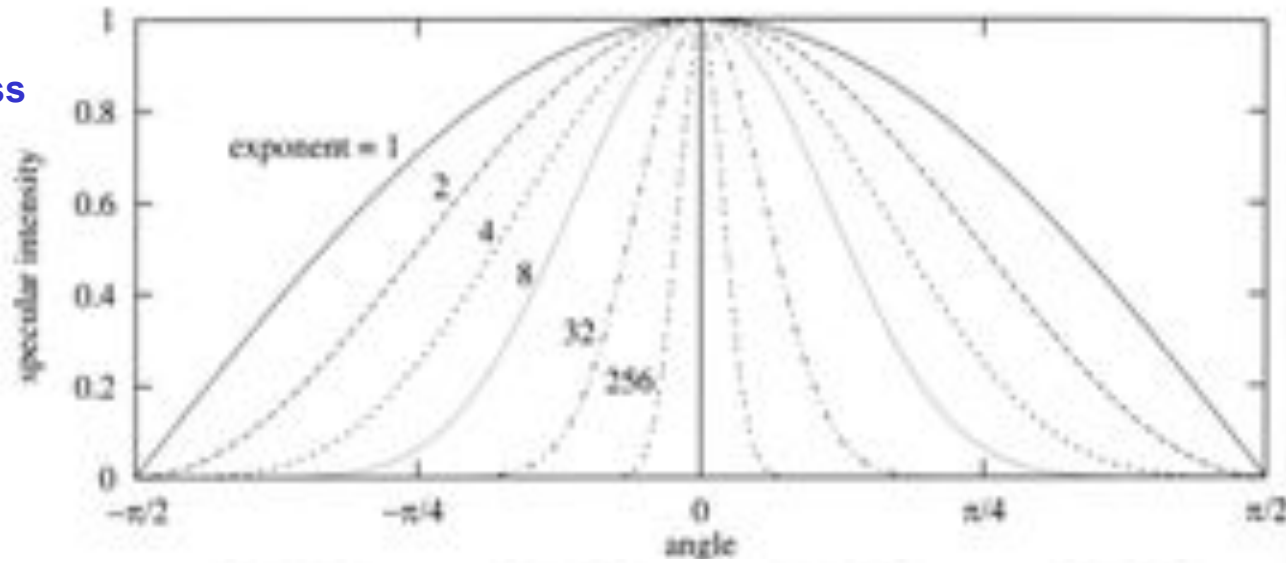
$$i_{spec} = m_{spec} \cdot S_{spec} \cdot (\bar{v} \cdot \bar{r})^{m_{shi}}$$



Location of observer is important

Specular highlights

shininess



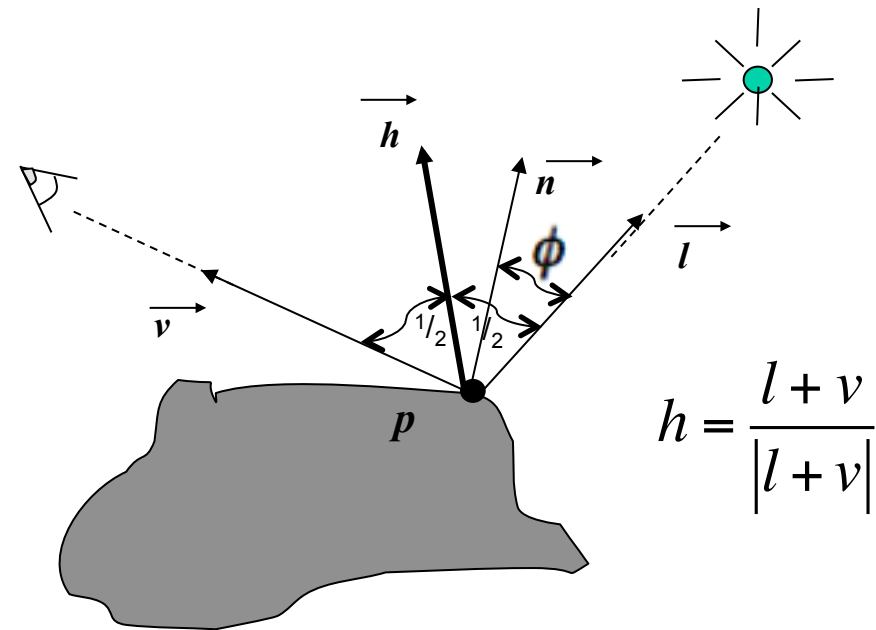
Illumination equation (Blinn model)

$$i_{tot} = i_{amb} + \sum_{k=1}^N (i_{diff}^k + i_{spec}^k)$$

$$i_{amb} = m_{amb} \cdot S_{amb}$$

$$i_{diff} = m_{diff} \cdot S_{diff} \cdot (\bar{l} \cdot \bar{n})$$

$$i_{spec} = m_{spec} \cdot S_{spec} \cdot (\bar{n} \cdot \bar{h})^{m_{shi}}$$

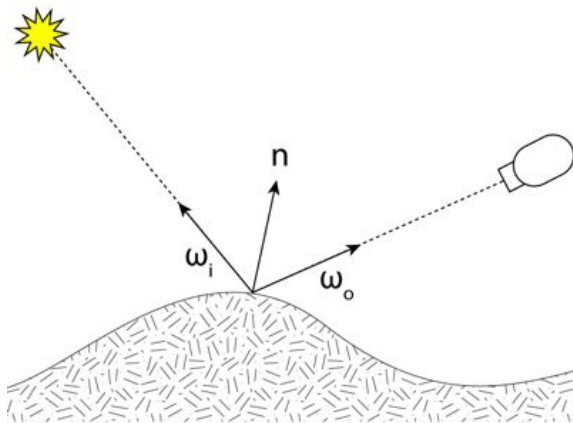




BRDF

Bidirectional Reflectance Distribution Function (BRDF)

anizotropic surfaces



$$f_r(\omega_i, \omega_o) = \frac{dL_r(\omega_o)}{dL_i(\omega_i) \cos \theta_i d\omega_i}$$

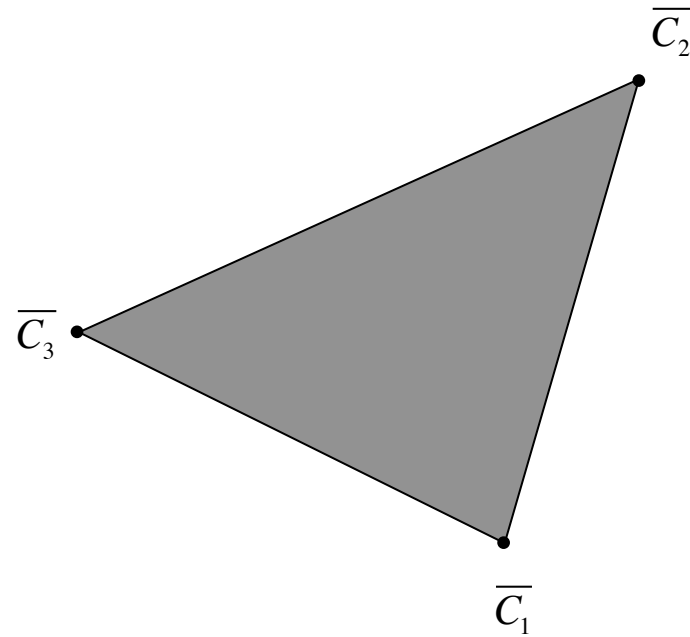


Pictures courtesy of MIT, Lecture Notes 6.837

Flat interpolation

Arithmetic average

$$\bar{C} = \frac{\bar{C}_1 + \bar{C}_2 + \bar{C}_3}{3}$$



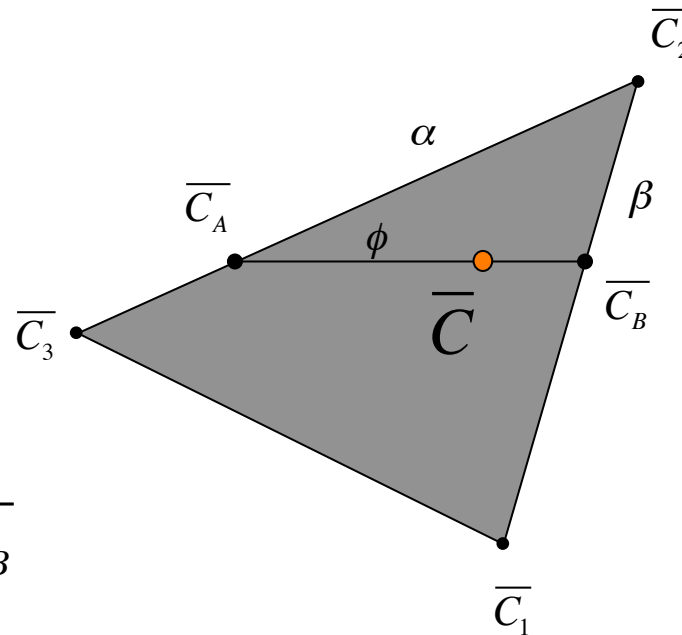
Gouraud interpolation

Linear interpolation

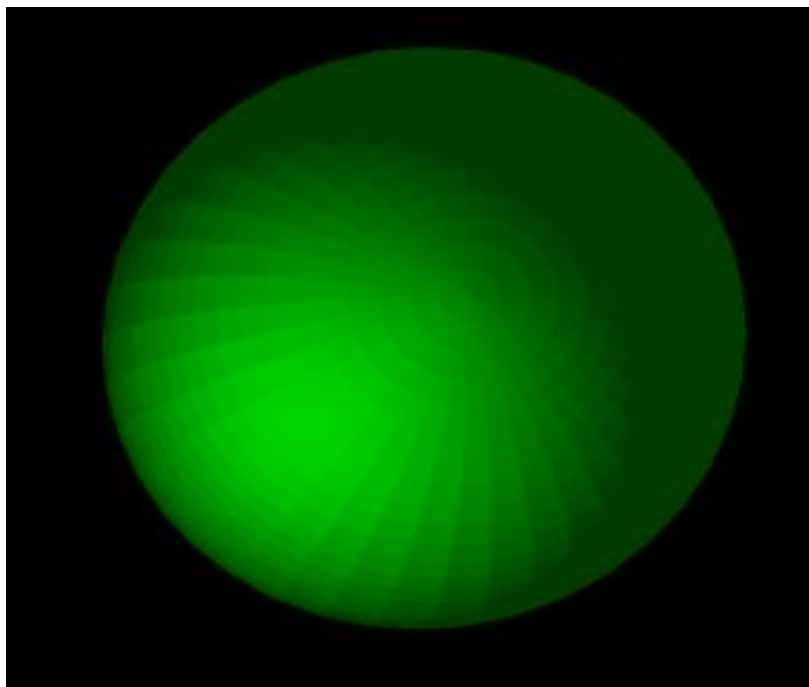
$$\bar{C}_A = \alpha \cdot \bar{C}_3 + (1 - \alpha) \cdot \bar{C}_2$$

$$\bar{C}_B = \beta \cdot \bar{C}_1 + (1 - \beta) \cdot \bar{C}_2$$

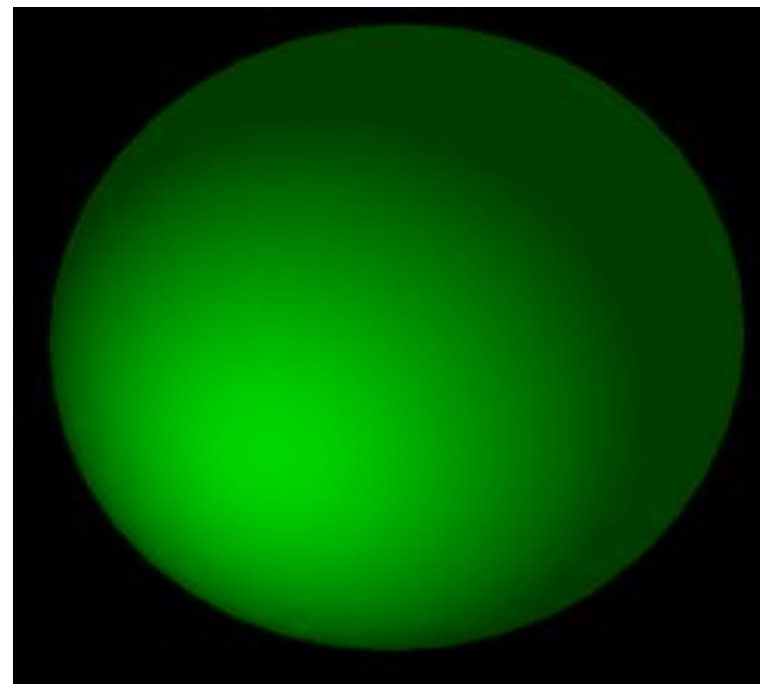
$$\bar{C} = \phi \cdot \bar{C}_A + (1 - \phi) \cdot \bar{C}_B$$



Color interpolation

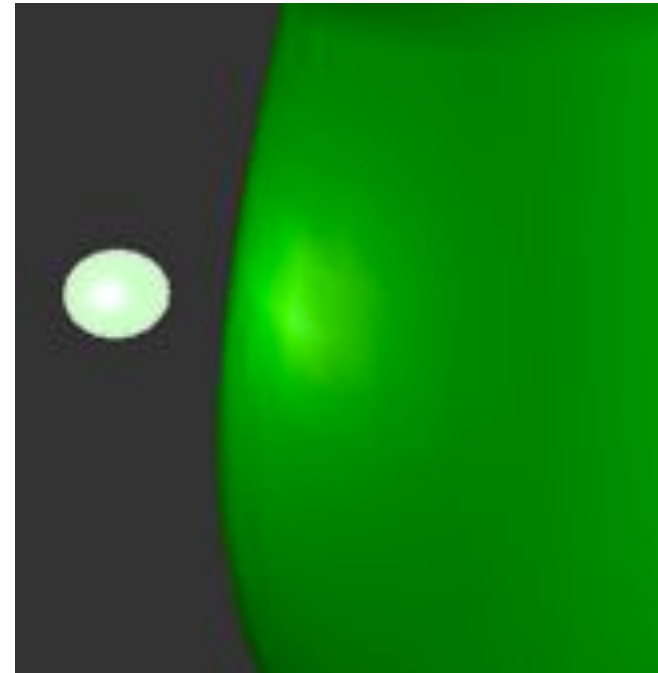
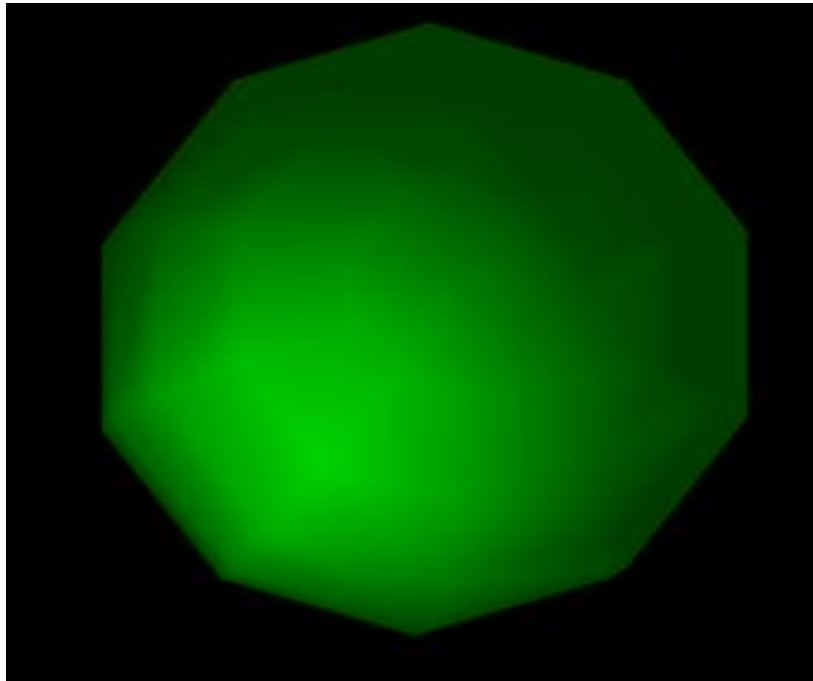


flat shading



Gouraud'a shading
(for the same number of triangles)

Interpolation



Gouraud shading - artefacts

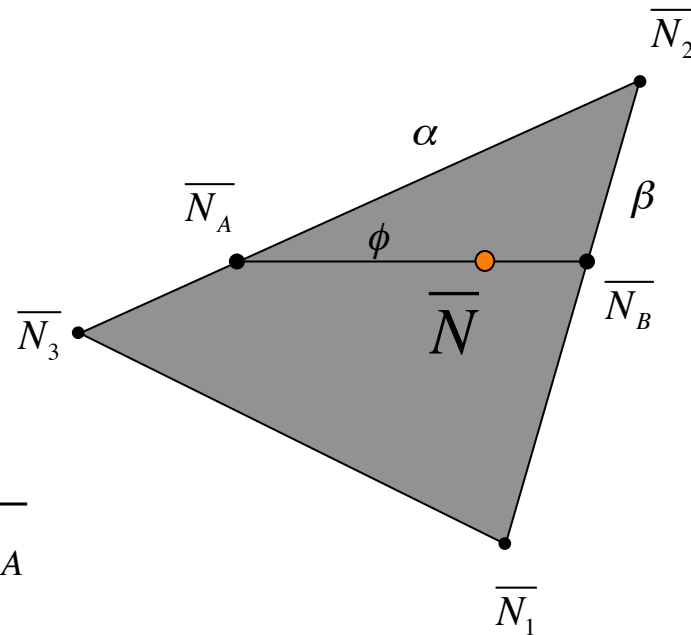


Normal vector interpolation

$$\overline{N}_A = \alpha \cdot \overline{N}_3 + (1 - \alpha) \cdot \overline{N}_2$$

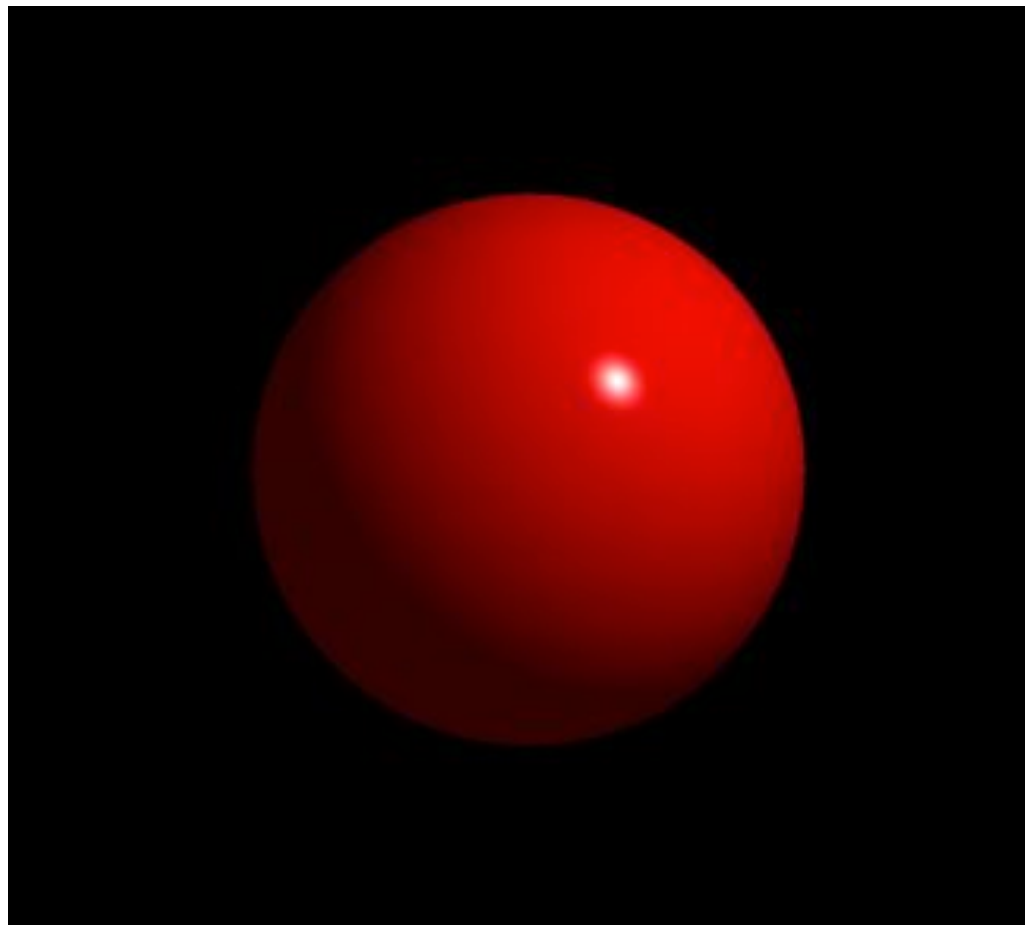
$$\overline{N}_B = \beta \cdot \overline{N}_1 + (1 - \beta) \cdot \overline{N}_2$$

$$\overline{N} = \phi \cdot \overline{N}_B + (1 - \phi) \cdot \overline{N}_A$$



Per pixel shading

illumination equation is solved for each pixel



Literatura

1. Tomas Moller, Eric Haines, Real-Time Rendering, A K Peters, ISBN 1-56881-101-2